An Introduction to Computational Argumentation Semantics (1/5)

Srdjan Vesic and Dragan Doder

ESSAI 2024

- Who am I?
- Who are you?
- 5 sessions
- Reader by Henry Prakken https://webspace.science.uu.nl/~prakk101/teaching/casy122.pdf

- Since ancient times
- Different domains:
 - philosophy
 - linguistics
 - psychology
 - artificial intelligence
 - ...
- Many open questions
- Interesting research challenges

- Amazon
- YouTube
- idebate
- Debategraph
- Arguman
- kialo

idebate



NEWS

COMMUNITY

MEDIA ABOUT

This House believes university education should be free

EVENTS



early every country in the developed world provides both free primary and secondary education. Such education is generally uncontroversial and accepted as necessary by both liberals and conservatives. In the case of higher education however, there is disagreement concerning the statefinancing of said institutions. In many states, students must pay fees to attend university, for which they may seek student loans or grants. Alternatively states may offer financial assistance to individuals who cannot afford to pay fees and in some university education is completely free and considered a citizen's right to attend. Debates center on the issues of whether there is in fact a right to university education, and on whether states can feasibly afford to finance such education.

As a debate meant for a quick introduction for some of our programmes such as Debate in the Neighbourhood this debate is a shorter and simpler version of http://idebate.org/debatabase/debates /funding/house-believes-university-education-should-be-free please read it for more detailed argumentation.

62

VOTING RESULTS



POINTS FOR

POINTS AGAINST

ESSAI 2024

5/13



Arguman



Exemple : A dialogue between two journalists

J1 We must publish this information, it is very important (argument a)

- J1 We must publish this information, it is very important (argument a)
- J2 That information concerns a person that refuses to publish it (argument b)

- J1 We must publish this information, it is very important (argument a)
- J2 That information concerns a person that refuses to publish it (argument b)
- J1 That person is the prime minister and the information concerns his work, so we should publish it *(argument c)*

- J1 We must publish this information, it is very important (argument a)
- J2 That information concerns a person that refuses to publish it (argument b)
- J1 That person is the prime minister and the information concerns his work, so we should publish it *(argument c)*



- An argumentation graph is a pair $\mathcal{F} = (\mathcal{A}, \mathcal{R})$ where:
 - \mathcal{A} is a finite set of arguments
 - \mathcal{R} is an attack relation $(\mathcal{R} \subseteq \mathcal{A} \times \mathcal{A})$





• A set S is conflict-free if there are no $a, b \in S$ such that $(a, b) \in R$



• A set S is conflict-free if there are no $a, b \in S$ such that $(a, b) \in R$



- A set S is conflict-free if there are no $a, b \in S$ such that $(a, b) \in R$
- A set S defends argument a if for each b ∈ A, if (b, a) ∈ R then b is attacked by S



- A set S is conflict-free if there are no $a, b \in S$ such that $(a, b) \in R$
- A set S defends argument a if for each b ∈ A, if (b, a) ∈ R then b is attacked by S



- A set S is conflict-free if there are no $a, b \in S$ such that $(a, b) \in R$
- A set S defends argument a if for each b ∈ A, if (b, a) ∈ R then b is attacked by S
- A set of arguments is admissible if it is conflict-free and each argument of the set is defended by that set



- A set S is conflict-free if there are no $a, b \in S$ such that $(a, b) \in R$
- A set S defends argument a if for each b ∈ A, if (b, a) ∈ R then b is attacked by S
- A set of arguments is admissible if it is conflict-free and each argument of the set is defended by that set



- A set S is conflict-free if there are no $a, b \in S$ such that $(a, b) \in R$
- A set S defends argument a if for each b ∈ A, if (b, a) ∈ R then b is attacked by S
- A set of arguments is admissible if it is conflict-free and each argument of the set is defended by that set









- *S* is a complete extension if it is an admissible set and every argument defended by *S* belongs to *S*
- S is a preferred extension if it a is maximal (for set inclusion) admissible set



- *S* is a complete extension if it is an admissible set and every argument defended by *S* belongs to *S*
- S is a preferred extension if it a is maximal (for set inclusion) admissible set
- *S* is a stable extension if it is a conflict-free set and attacks all the arguments that do not belong to *S*



- *S* is a complete extension if it is an admissible set and every argument defended by *S* belongs to *S*
- S is a preferred extension if it a is maximal (for set inclusion) admissible set
- *S* is a stable extension if it is a conflict-free set and attacks all the arguments that do not belong to *S*
- S is a grounded extension if it is the minimal (for set inclusion) complete extension



- *S* is a complete extension if it is an admissible set and every argument defended by *S* belongs to *S*
- S is a preferred extension if it a is maximal (for set inclusion) admissible set
- *S* is a stable extension if it is a conflict-free set and attacks all the arguments that do not belong to *S*
- S is a grounded extension if it is the minimal (for set inclusion) complete extension



- S is a complete extension if it is an admissible set and every argument defended by S belongs to S
- S is a preferred extension if it a is maximal (for set inclusion) admissible set
- *S* is a stable extension if it is a conflict-free set and attacks all the arguments that do not belong to *S*
- *S* is a grounded extension if it is the minimal (for set inclusion) complete extension



- S is a complete extension if it is an admissible set and every argument defended by S belongs to S
- S is a preferred extension if it a is maximal (for set inclusion) admissible set
- *S* is a stable extension if it is a conflict-free set and attacks all the arguments that do not belong to *S*
- *S* is a grounded extension if it is the minimal (for set inclusion) complete extension



- S is a complete extension if it is an admissible set and every argument defended by S belongs to S
- S is a preferred extension if it a is maximal (for set inclusion) admissible set
- *S* is a stable extension if it is a conflict-free set and attacks all the arguments that do not belong to *S*
- *S* is a grounded extension if it is the minimal (for set inclusion) complete extension



- S is a complete extension if it is an admissible set and every argument defended by S belongs to S
- S is a preferred extension if it a is maximal (for set inclusion) admissible set
- *S* is a stable extension if it is a conflict-free set and attacks all the arguments that do not belong to *S*
- *S* is a grounded extension if it is the minimal (for set inclusion) complete extension



- *S* is a complete extension if it is an admissible set and every argument defended by *S* belongs to *S*
- S is a preferred extension if it a is maximal (for set inclusion) admissible set
- *S* is a stable extension if it is a conflict-free set and attacks all the arguments that do not belong to *S*
- *S* is a grounded extension if it is the minimal (for set inclusion) complete extension



- *S* is a complete extension if it is an admissible set and every argument defended by *S* belongs to *S*
- S is a preferred extension if it a is maximal (for set inclusion) admissible set
- *S* is a stable extension if it is a conflict-free set and attacks all the arguments that do not belong to *S*
- S is a grounded extension if it is the minimal (for set inclusion) complete extension



- *S* is a complete extension if it is an admissible set and every argument defended by *S* belongs to *S*
- S is a preferred extension if it a is maximal (for set inclusion) admissible set
- *S* is a stable extension if it is a conflict-free set and attacks all the arguments that do not belong to *S*
- S is a grounded extension if it is the minimal (for set inclusion) complete extension





Calculate stable, preferred, complete and grounded extensions

• Every stable extension is a preferred extension

- Every stable extension is a preferred extension
- Every preferred extension is a complete extension

- Every stable extension is a preferred extension
- Every preferred extension is a complete extension
- Find a preferred extension that is not stable

- Every stable extension is a preferred extension
- Every preferred extension is a complete extension
- Find a preferred extension that is not stable
- Find an argumentation graph that has at least one stable extension and that has a preferred extension that is not stable